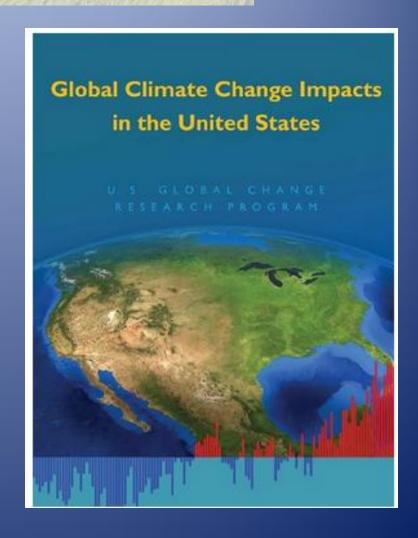
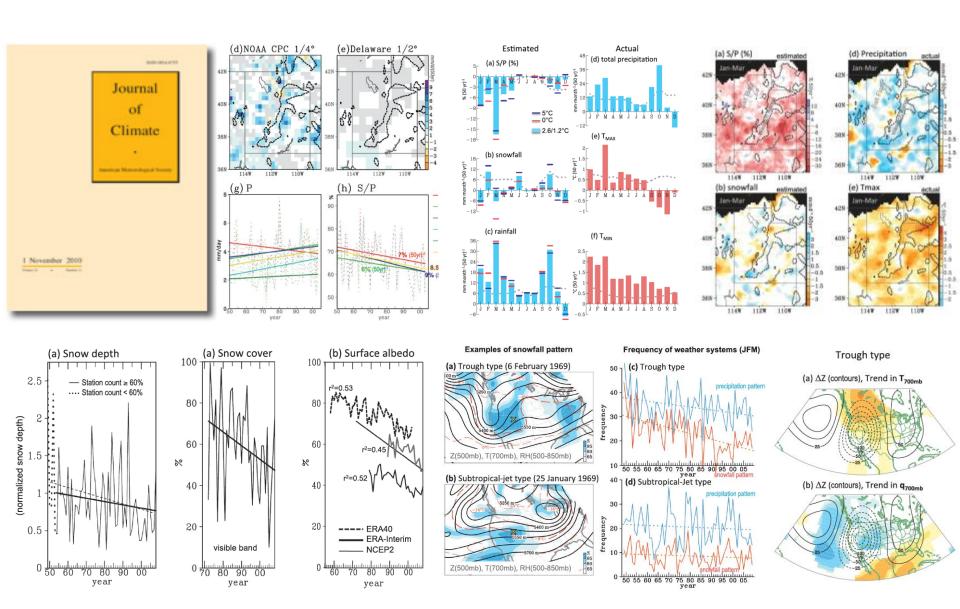


Is Climate Change Real? The Pentagon Sure Thinks So





Climate Science



The statistics of the environment over time.

Long-Term Trends

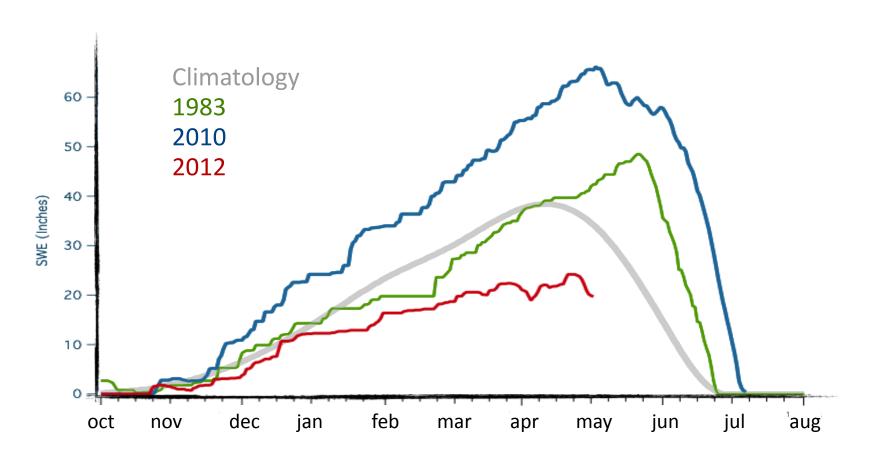
+

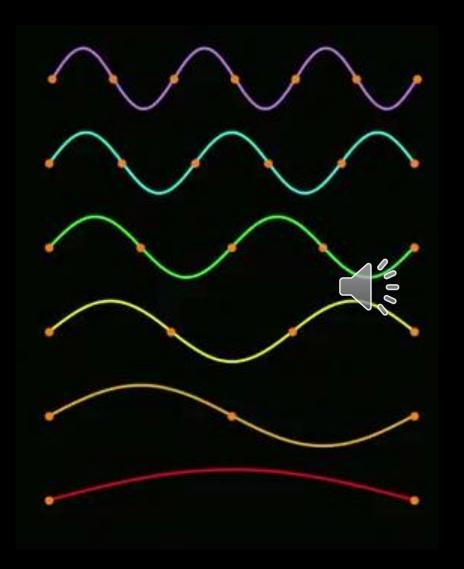
Short-Term Variability

Let's Start with Variability

Snow Water

Tony Grove Snotel





Madden-Julian

El Niño Southern

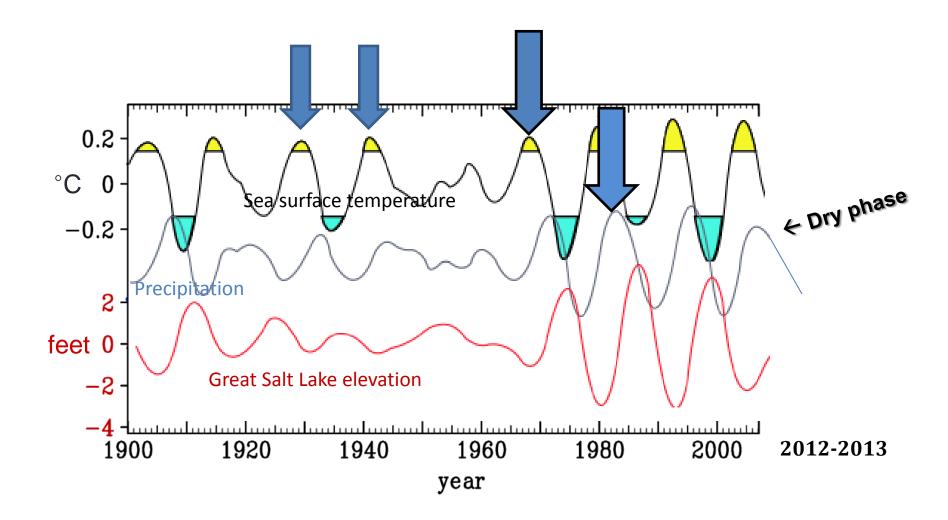
North Atlantic

_

Quasi-Decadal

Pacific-Decadal

Arctic e Bass



Principal Component (PC) – Lagge Regression Combined Model to forecast GSL elevation tendency

(a) (Wang et al. 2010a) Warm-to-cool & cool-to-warm transitions

0.2

°C 0

-0.2

NINO4

P

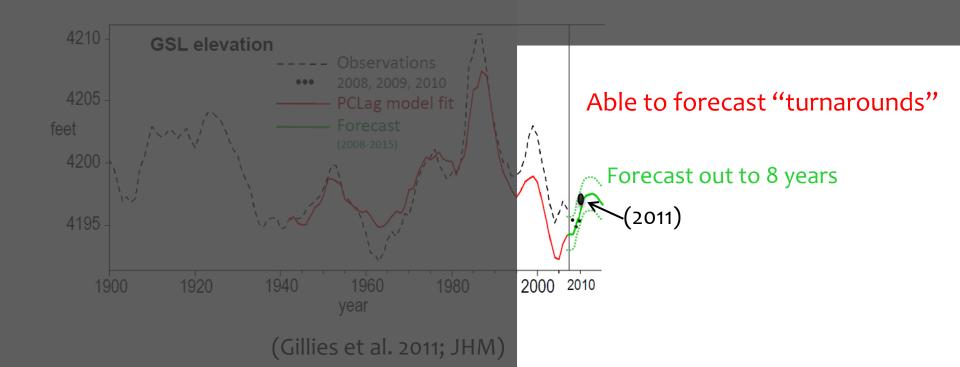
GSL

-2

elevation

1900 1920 1940 1960 1980 2000

$$G_{t} = \beta_{0} G_{t-1} - \beta_{1} PC1_{t-8} + \beta_{2} PC1_{t-17} + \beta_{3} PC1_{t-42} + \beta_{4} PC2_{t-18}...$$



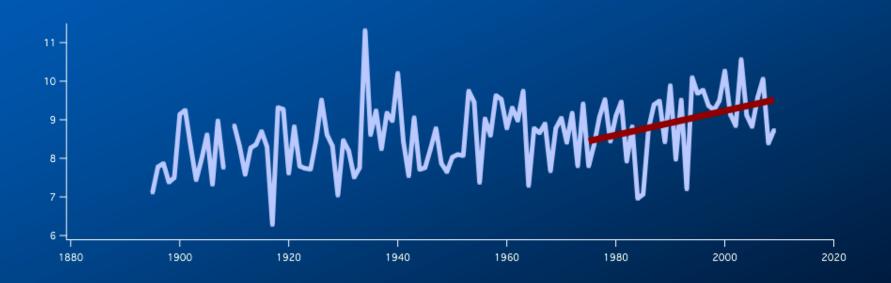
And now Trends

Temperature Change

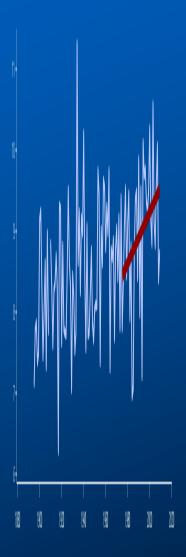
Utah

utah's warming climate

Logan, Utah



utah's warming climate



Logan, Utah

utah's warming climate 1900 1950 2000 Logan 1900 1950 2000 1900 1950 2000 1900 1950 2000 Salt Lake City Wendover Duchesne Deseret Moab Hanksville Bluff Zion Nat'l Park 1900 1950 2000

utah's warming climate



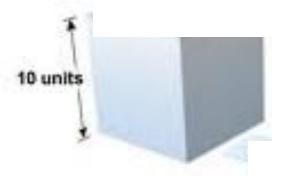


Precipitation Change

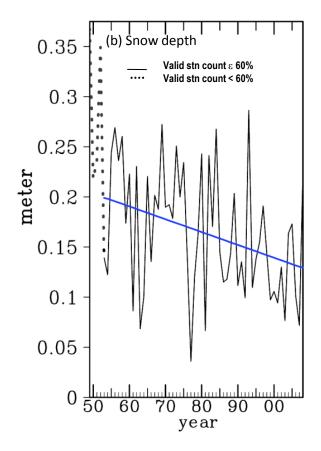
Utah



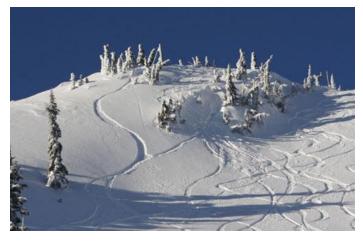


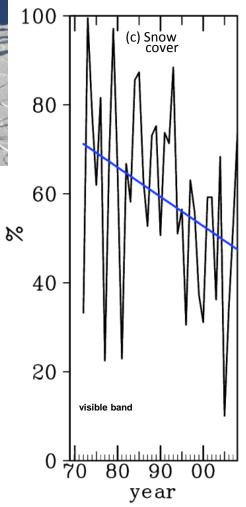


COOP snow depth

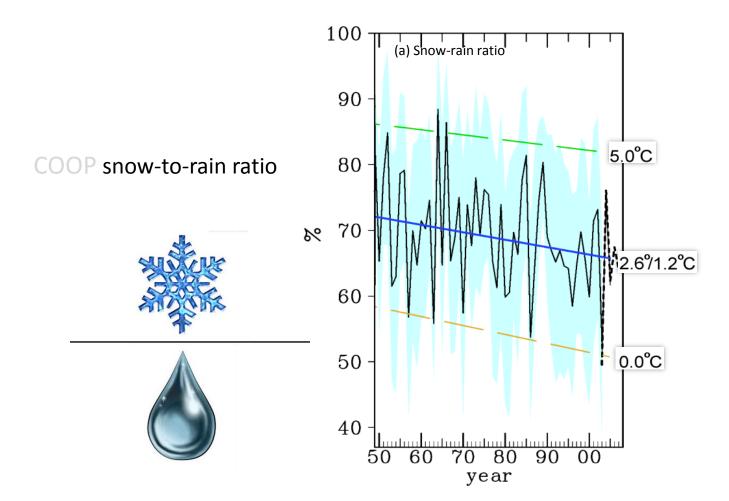






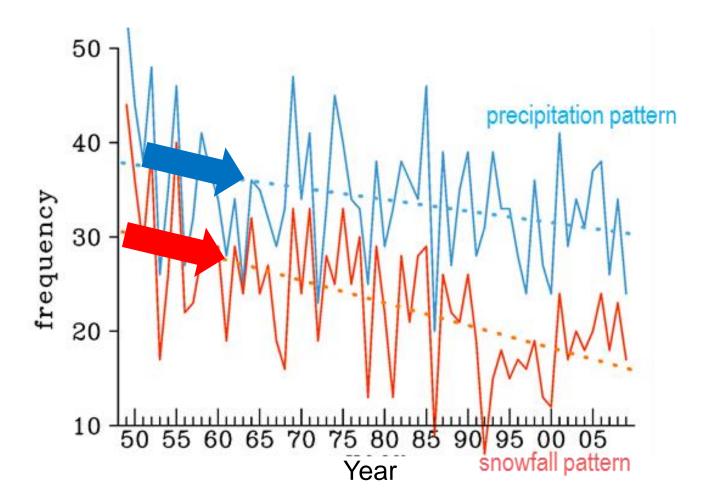






Winter storms have become less frequent





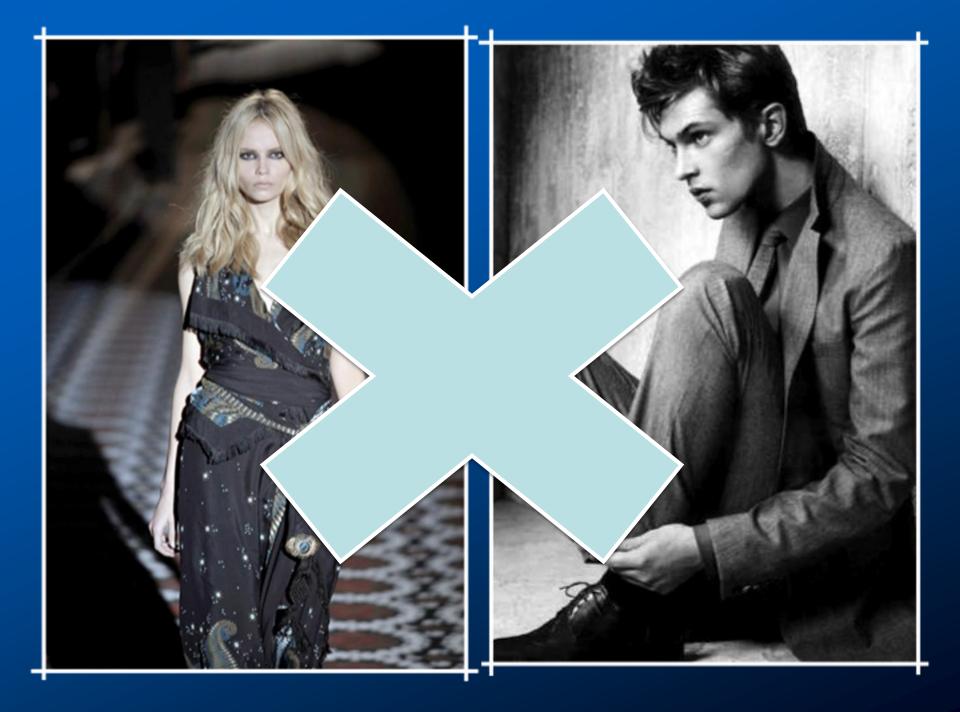
But each storm dumps more precipitation



MORE INTENSE

What does the future hold?

Models



$$f_v(v_i) = \sqrt{\frac{m}{2\pi kT}} \exp\left[\frac{-mv_i^2}{2kT}\right]$$

$$\nabla \cdot D = \rho_f$$

$$\rho \left(\frac{\partial \mathbf{V}}{\partial t} + \mathbf{V} \cdot \nabla \mathbf{V} \right) = -\nabla p + \nabla \cdot \mathbf{T} + \mathbf{f}$$

$$\nabla \times E = -\frac{\partial B}{\partial t}$$

$$f_{v}(v_{i}) = \sqrt{\frac{m}{2\pi kT}} \exp\left[\frac{-mv_{i}^{2}}{2kT}\right] \qquad \rho\left(\frac{\partial \mathbf{V}}{\partial t} + \mathbf{V} \cdot \nabla \mathbf{V}\right) = -\nabla p + \nabla \cdot \mathbf{T} + \mathbf{f}$$

$$\nabla \times E = -\frac{\partial B}{\partial t} \qquad \nabla \times B = \mu_{0}J + \mu_{0}\varepsilon_{0}\frac{\partial E}{\partial t}$$

$$\left(\beta mc^{2} + \sum_{k=1}^{3} \alpha_{k} p_{k} c\right) \psi(x,t) = ih \frac{\partial \psi}{\partial t}(r,t)$$

$$S = k \log W$$

$$\nabla \cdot B = 0$$

$$ih\Psi(r,t) = -\frac{h^2}{2m}\nabla^2\Psi(r,t) + V(r,t)$$

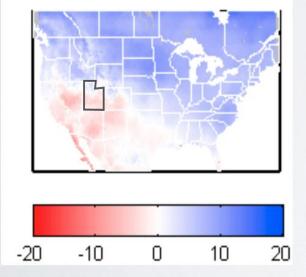
$$\partial_t \phi + \partial_x^3 \phi + 6\phi \partial_x \phi = 0$$

Model Projections Trends

Future?

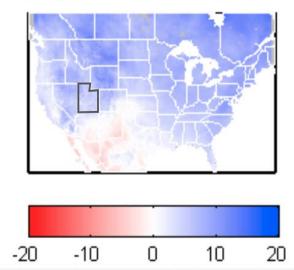
CMIP3 (older models)

Mean-Annual Precipitation Change, percen CMIP3,1970-1999 to 2040-2069,50%tile

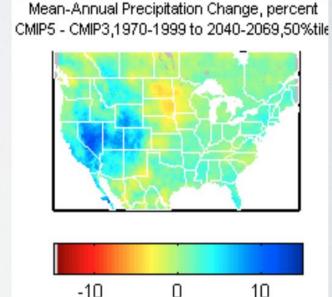


CMIP5 (newer models)

Mean-Annual Precipitation Change, percent CMIP5,1970-1999 to 2040-2069,50%tile



CMIP5 - CMIP3

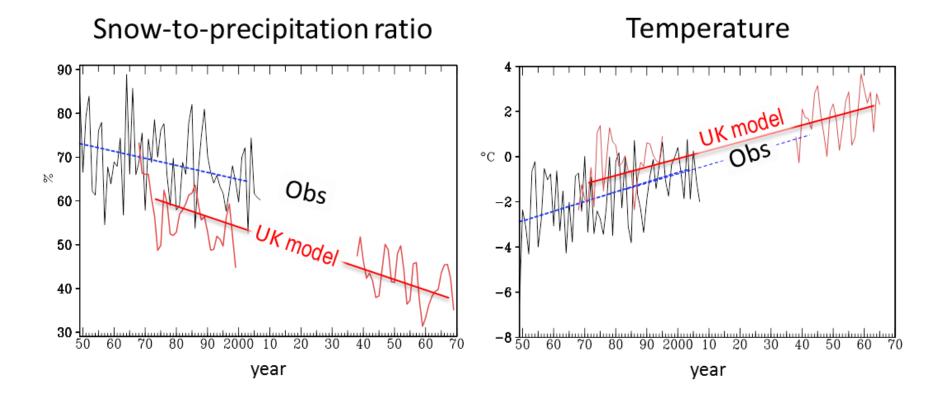


Levi Brekke (BoR; 2013)



Climate model simulations

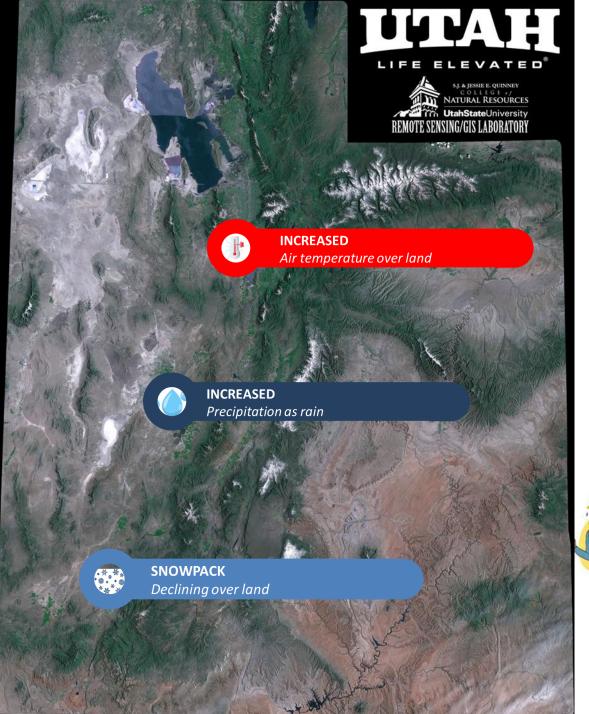
NARCCAP (North American Regional Climate Change Assessment Program)











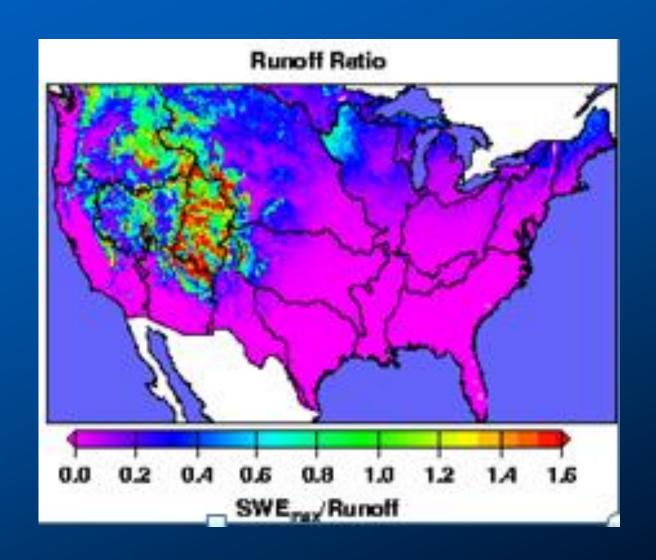






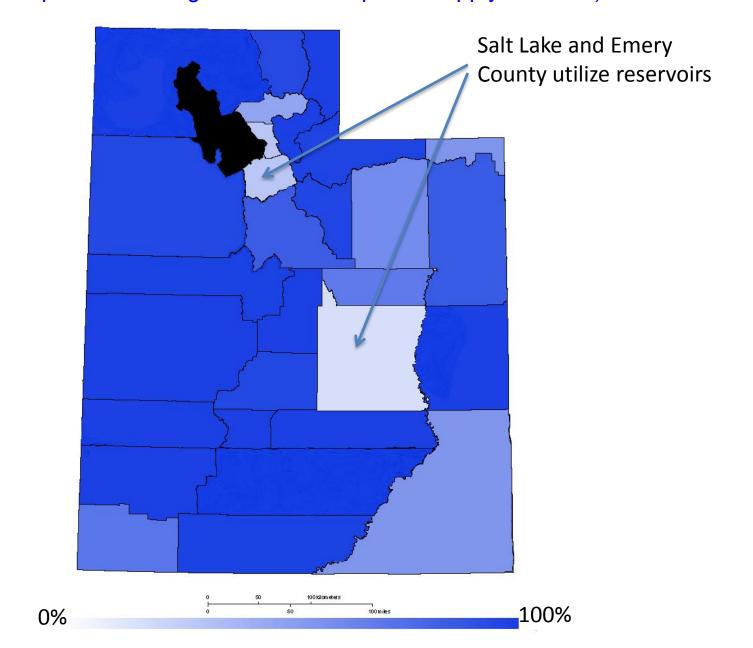


Hydroclimate of the West



Utah Groundwater Dependence

(color = % dependence on groundwater for public supply for 2005)



CCSM4 Spring (March-April) Snow Depth

RCP8.5 High Emissions Scenario

1850-2100 Four Year Running Average

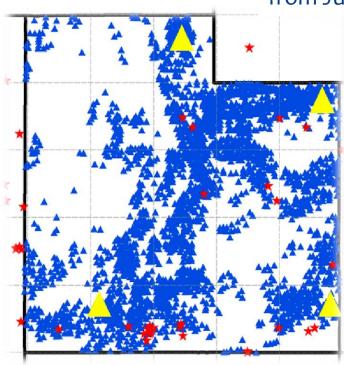


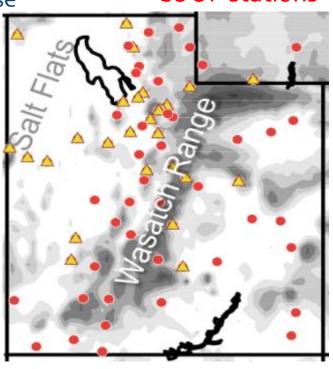
Tree ring power!

USFS: Forest Inventory and Analysis (FIA) Program

from Justin DeRose

COOP stations





Detection of decadal cycles

